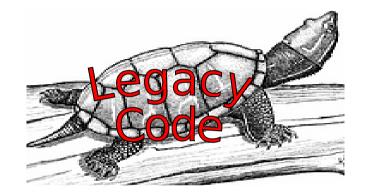
Semantics-based reverse engineering of data models from programs

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(with G. Ramalingam, J. Field, et al)

Understanding legacy software

- Common scenario
 - huge existing legacy code base
 - building on top of existing code
 - transforming existing code
 - integrating legacy systems



- Legacy code can be surprisingly hard to work with
 - lack of documentation and understanding of existing code
- Need tools to help understand legacy code

Reverse engineering data models

- Goal: Reverse engineer a logical data model of a given (legacy) program
 - or Type Inference
 - focused on weakly-typed languages like Cobol
- Understanding logical structure of data is key to program understanding
- A logical data model can assist in common legacy transformation and maintenance tasks

An example Cobol program – Data declarations

```
01 CARD-TRANSACTION-REC
                                      Picture
  05 LOCATION-TYPE PIC X.
                                      clauses
  05 LOCATION-DETAILS PIC X(20).
  05 CARD-INFO PIC X(19).
  05 AMT PIC X(4).
                                    Outermost
01 ATM-DETAILS.
                                    variables
  05 \text{ ATM-ID PIC } X(5).
  05 ATM-ADDRESS X(12).
  05 ATM-OWNER-ID PIC X(3)
                                      Inner
01 MERC-DETAILS.
                                    variables
  05 MERCHANT-ID PIC X(8).
                                     (fields)
  05 MERCHANT-ADDRESS PIC X(12).
01 \text{ CARD-NUM PIC } X(16).
01 CASHBACK-RATE X(2).
01 CASHBACK X(3).
```

Example program -- code

```
/1/
    READ CARD-TRANSACTION-REC.
     IF LOCATION-TYPE = 'M'
/2/
/3/
       MOVE LOCATION-DETAILS TO MERC-DETAILS
                                                 Types
/4/
     ELSE
                                                  not
                                                obvious!
/5/
       MOVE LOCATION-DETAILS TO ATM-DETAILS
/6/
     ENDIF
                                               CreditCdNum
/7/ IF CARD-INFO[1:1] = 'C'
/8/
       MOVE CARD-INFO[2:3] TO CASHBACK-RATE
                                              Disjoint
/9/ MOVE AMT*CASHBACK-RATE/100 TO CASHD
                                             union not
/10/ MOVE CARD-INFO[4:19] TO CARD-NUM
                                              obvious!
/11/ WRITE CARD-NUM, CASHBACK TO CASHBACK-FILE
/12 ELSE
                                               DebitCdNum
/13/ MOVE CARD-INFO[2:17] TO CARD-NUM
/14/
     ENDIF
                                         CreditCdNum | DebitCdNum
/15/ IF LOCATION-TYPE = 'M'
     WRITE MERCHANT-ID, AMT, CARD-NUM TO M-FILE
/16/
/17/ ELSE
/18/ WRITE ATM-ID, ATM-OWNER-ID, AMT, CARD-NUM TO A-FILE.
/19/ ENDIF
```

An example Cobol program – Data

declarations

```
Implicit
                                         aggregate
      01 CARD-TRANSACTION-REC.
                                         structure!
         05 LOCATION-TYPE PIC X.
        ▶05 LOCATION-DETAILS PIC X(20).
         AtmID; Owner AMT PIC X(4)
                          'C':CreditTag; CashBkRate; CreditCdNum
                          !{'C'}:DebitTag; DebitCdNum; Unused
 MerchantID 01 ATM-DETAILS.
         05 \text{ ATM-ID PIC } X(5).
         05 ATM-ADDRESS X(12).
         05 ATM-OWNER-ID PIC X(3).
      01 MERC-DETAILS.
         05 MERCHANT-ID PIC X(8).
         05 MERCHANT-ADDRESS PIC X(12).
      01 \text{ CARD-NUM PIC } X(16).
      01 CASHBACK-RATE X(2).
      01 CASHBACK X(3).
```

Algorithm 1 [TACAS '05]

 A "guarded" (dependent) type system, involving guarded type variables, records (concatenation), and unions

```
- Example: ('E':\alpha^1; \beta^7; \gamma^4; \delta^2) | (!{'E'}: \epsilon^1; \phi^9; \eta^4)
```

Algorithm 1 [TACAS '05]

- A "guarded" (dependent) type system, involving guarded type variables, records (concatenation), and unions
 - Example: ('E':Emp¹; Eld¹; Salary⁴; Unused²) |
 (!{'E'}:Vis¹; SSN⁰; Stipend⁴)
- Formal characterization of a correct typing solution for a program
- Path-sensitive type inference algorithm
 - Improved accuracy; program-point specific types
 - Computed solution helps in constructing class diagram

Applications of guarded type system

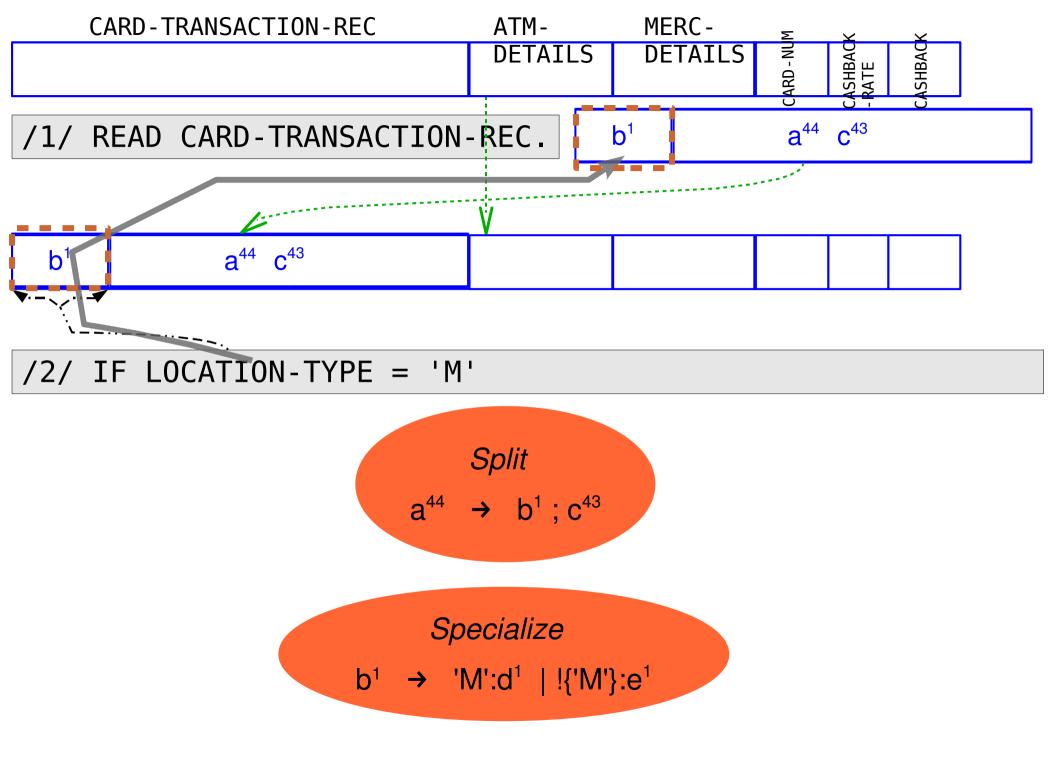
- Program understanding
- Understanding impact of changes
- Program transformation
 - Field expansion (e.g., Y2K expansion)
 - Porting from weakly-typed languages to object-oriented languages
 - Refactoring data declarations to make them better reflect logical structure

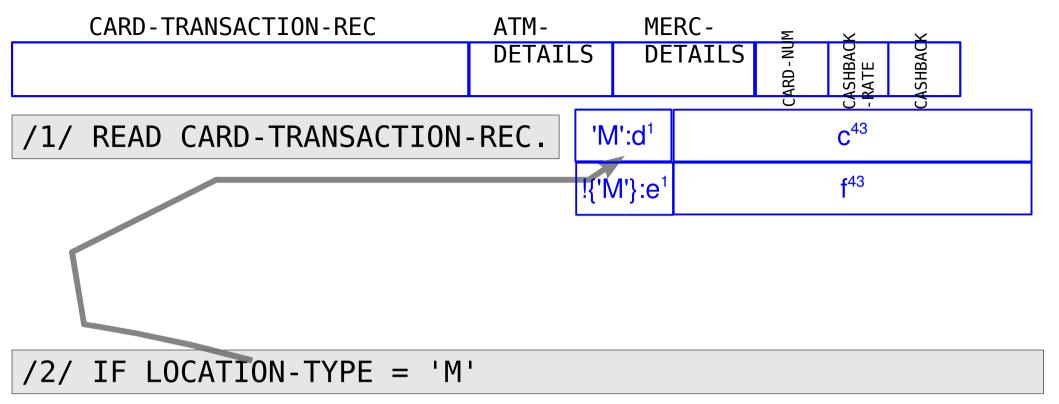
Key features of algorithm

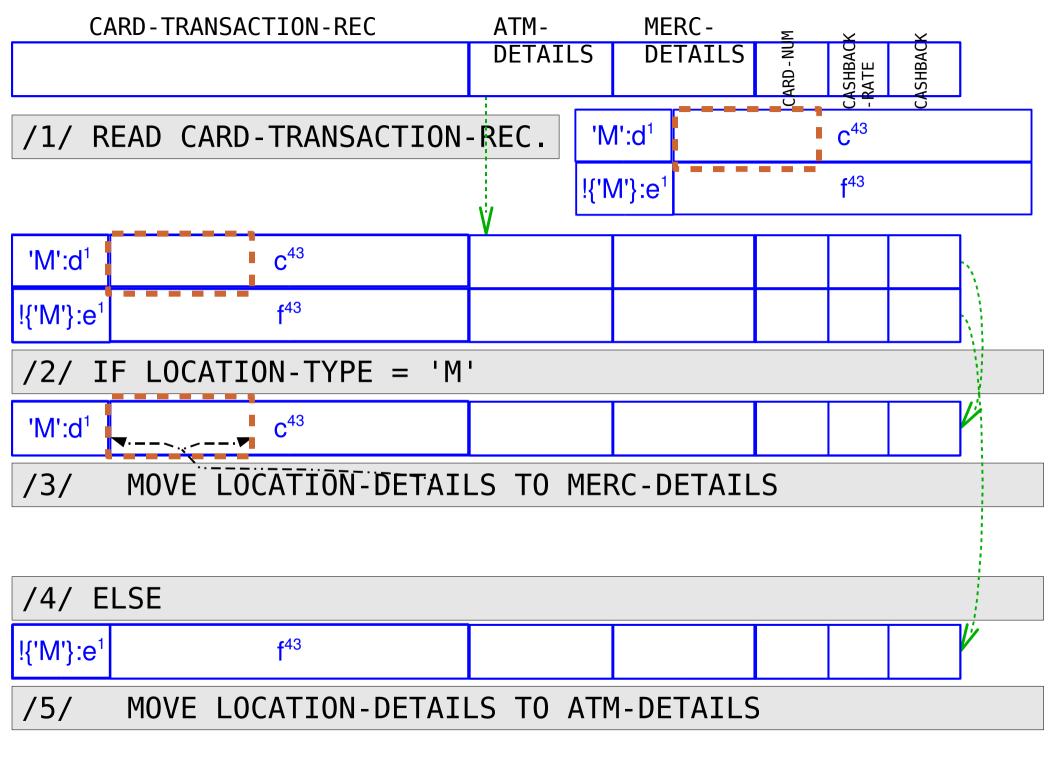
- Based on dataflow analysis
 - Dataflow fact at each point is a type for the entire memory
 - Each origin statement (READ, MOVE literal TO var) gets a unique type variable
- Interprets predicates of the form

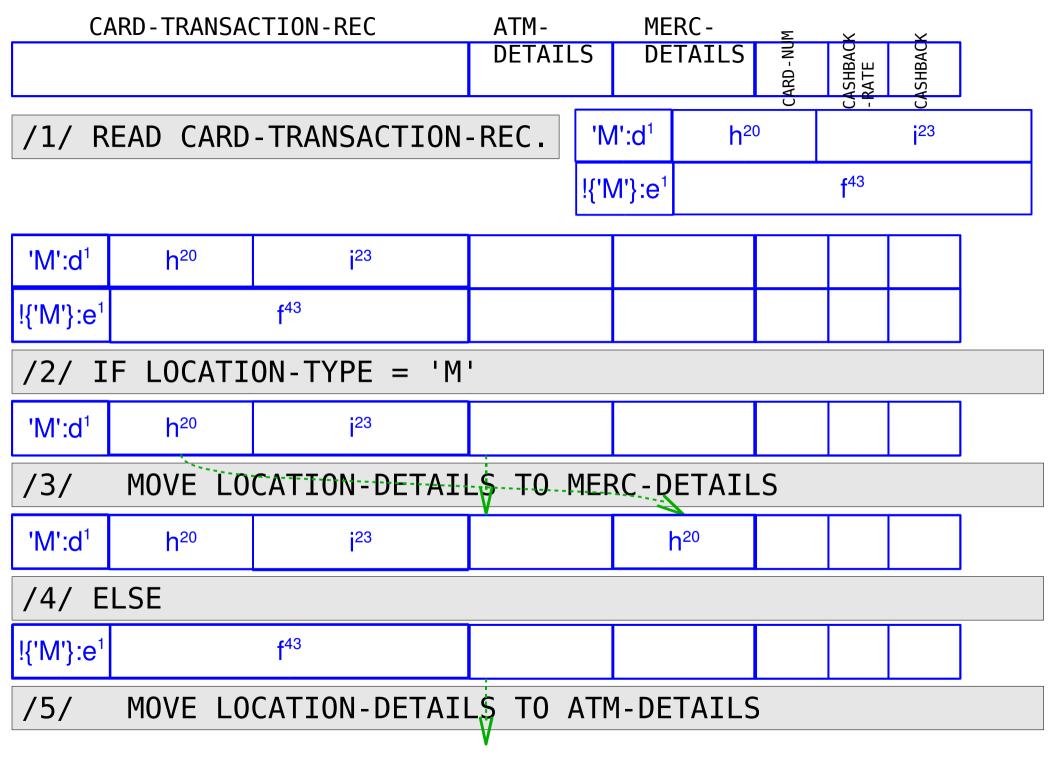
```
var == literal, var != literal
```

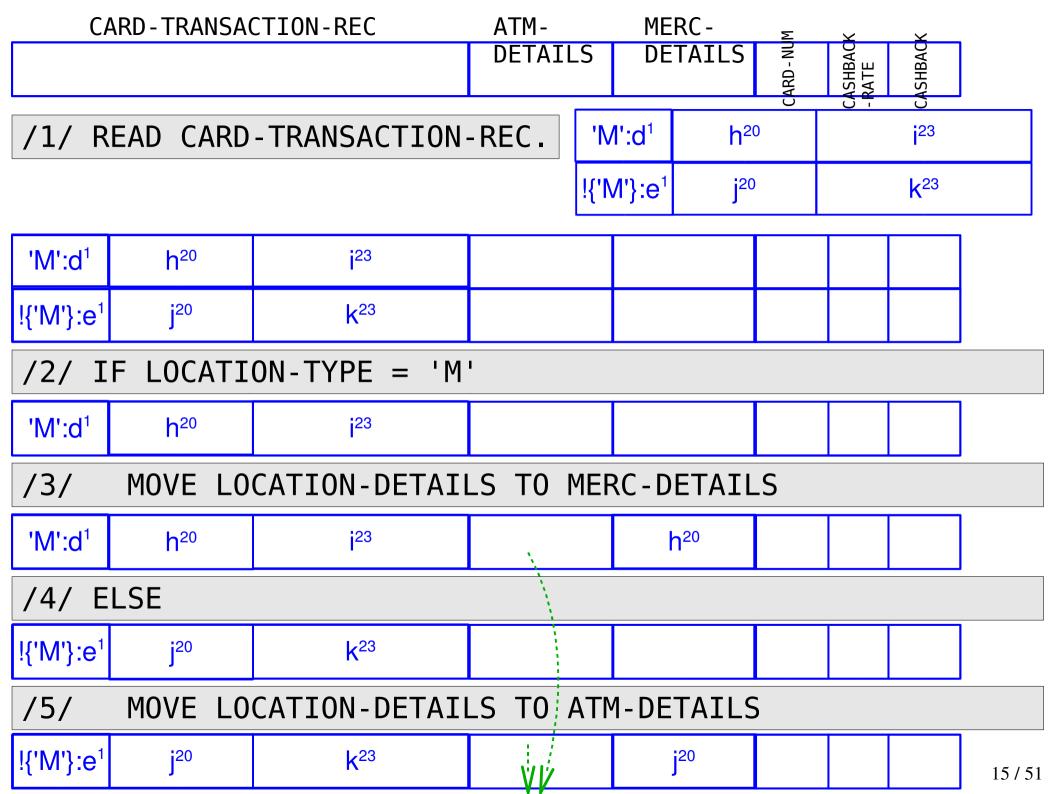
- Two key operations:
 - Split: Replace α^i by concatenation β^j ; γ^k , i = j + k.
 - Specialize: Replace α^i by union $\beta^i \mid \gamma^i$.

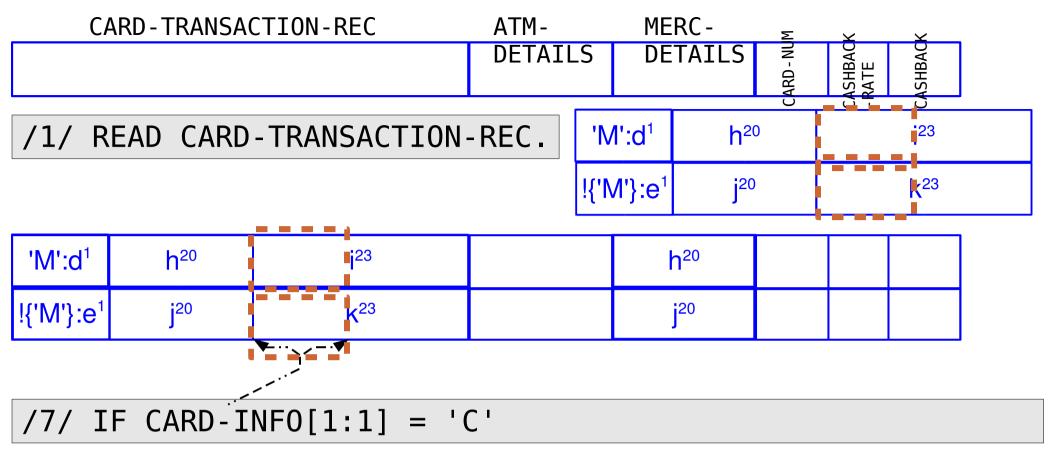


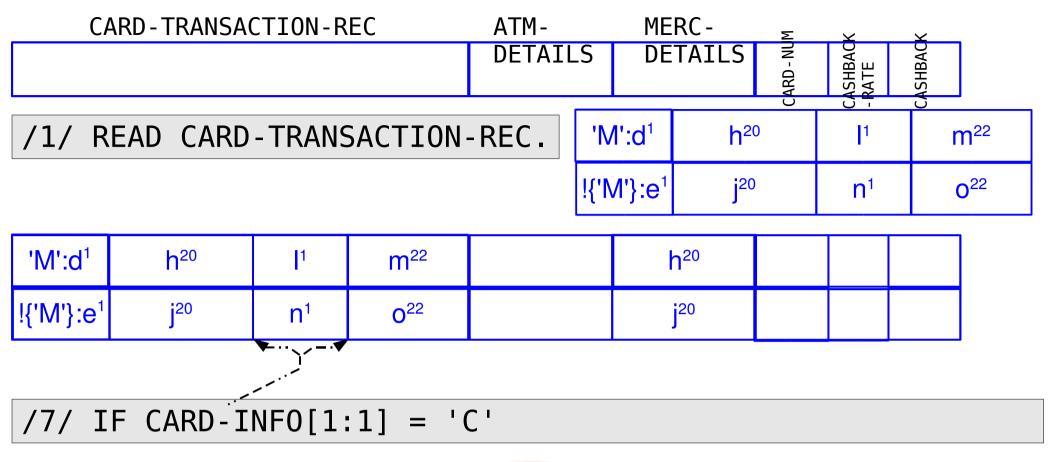


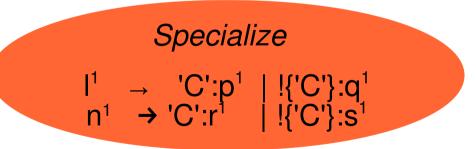


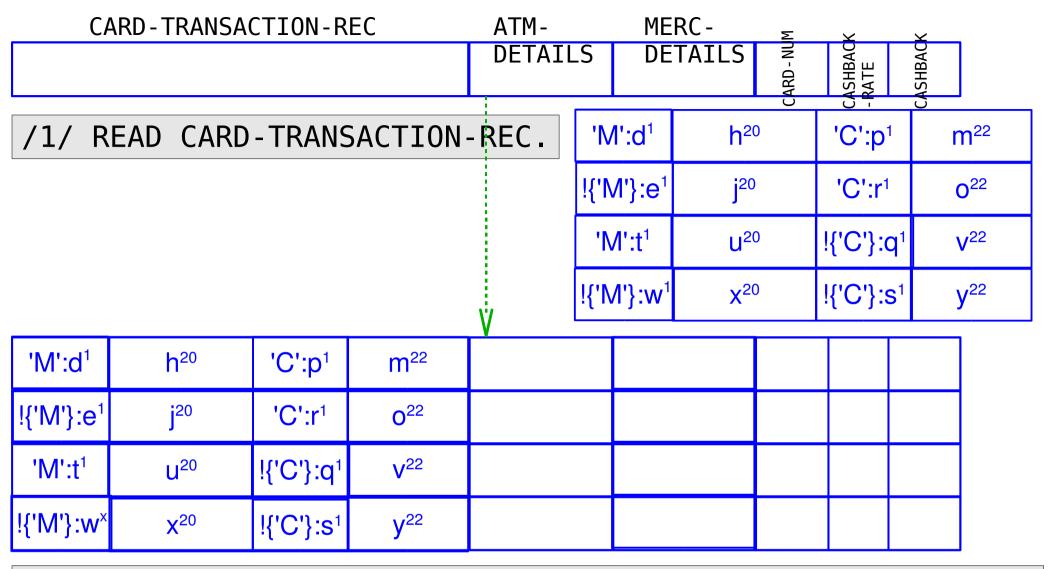








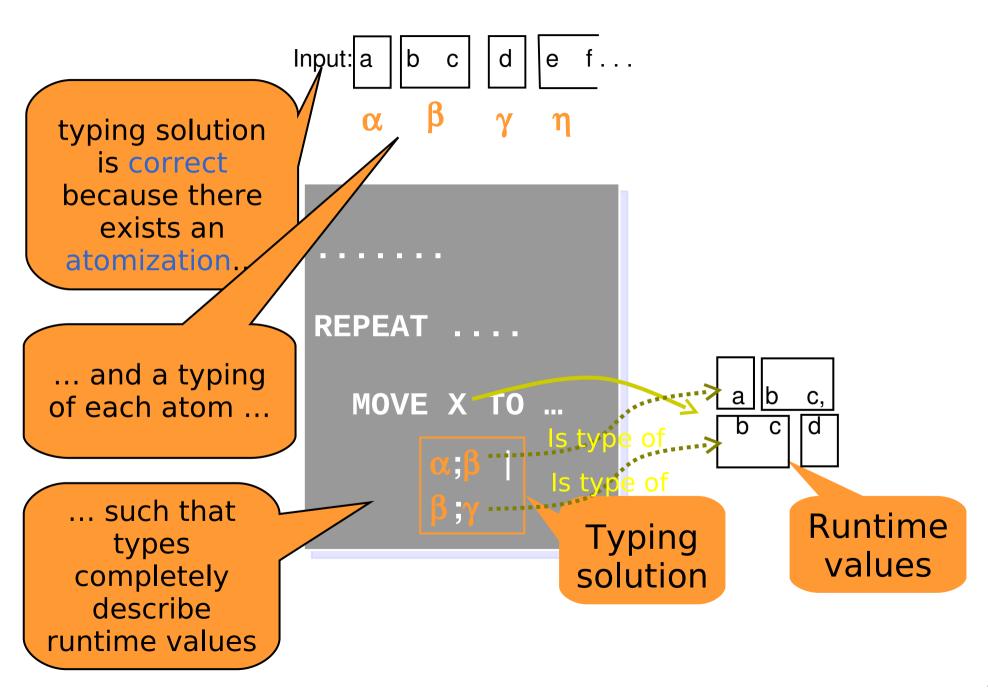




/2/ IF LOCATION-TYPE = 'M'

'M':d ¹ C/	ARD -	RAI 1 ²⁰	ISA(C':p1	REC r	n ²²		ATM-	DETA	ILS	MERC -	DETAILS	CARD- NUM	HBACK -RATE	CASH BACK
!{'M'}:e ¹		j ²⁰		'C':r1		O ²²								CAS	
'M':t ¹		u ^{R0}		!{'C'}:q1	,	V ²²									
!{'M'}:w ¹)	X ²⁰		!{'C'}:s¹	,	y ²²	·								
/2/ IF LOCATION-TYPE = 'M' /3/ MOVE LOCATION-DETAILS TO MERC-DETAILS /4/ ILSE /5/ MOVE LOCATION-DETAILS TO ATM-DETAILS /7/ IF CARD-INFO[1:1] = 'C' /8/ MOVE CARD-INFO[2:3] TO CASHBACK-RATE /9/ MOVE AMT*CASHBACK-RATE/100 TO CASHBACK /10/ MOVE CARD-INFO[4:19] TO CARD-NUM /11/ WRITE CARD-NUM, CASHBACK TO CASHBACK-FILE /12 ELSE /13/ MOVE CARD-INFO[2:17] TO CARD-NUM /15/ IT LOCATION-TYPE = 'M' /16/ WRITE MERCHANT-ID, AMT, CARD-NUM TO M-FILE /17/ ELSE /18/ WRITE ATM-ID, ATM-OWNER-ID, AMT, CARD-NUM TO A-FILE.															
'M':d¹	h ₁ 8	h _z	12	'C':p1	m ₁ ² n	n ₂ 16	m ₃ ⁴				h ₁ 8	h ₂ 12	m ₂ 16	$m_{_1}^{\ 2}$	Z
!{'M'}:e ¹	j ₁ 5	j ₂ 12	j ₃ ³	'C':r¹	1		0 ₃ ⁴	j ₁ 5	j ₂ 12	j ₃ ³			O ₂ 16	0 ₁ ²	Z
'M':t ¹	u ₁ 8	u	12 2	!{'C'}:q¹	V ₁ 16	V_2^2	V ₃ ⁴				U ₁ 8	U ₂ 12	V ₁ ¹⁶		
!{'M'}:w ¹	X ₁ ⁵	X ₂ ¹²	X ₃ ³	!{'C'}:s¹	y ₁ 16	y ₂ ²	y ₃ ⁴	X ₁ ⁵	X ₂ ¹²	X ₃ ³			y ₁ 16		

Correctness characterization



Characteristics of the solution

- Fow and path sensitive:
 - Each occurrence of a variable is assigned a type
 - Uses guards to ignore certain infeasible paths
- Determines variables of the same type, reveals record structure within variables, as well as disjoint unions
- Shortcomings:
 - Dataflow facts are "unfactored", potentially of exponential size

/1/ READ CARD-TRANSACTION-REC.

'M':d¹	h ₁ ⁸	h ₂ ¹²		'C':p1	m ₁ ²	m ₂ ¹⁶	m ₃ ⁴
!{'M'}:e¹	j ₁ ⁵	j ₂ 12	j ₃ ³	'C':r¹	0,2	O ₂ ¹⁶	O ₃ ⁴
'M':t ¹	u ₁ 8	U ₂ ¹²		!{'C'}:q1	V ₁ 16	V ₂ ²	V ₃ ⁴
!{'M'}:w¹	X ₁ ⁵	X ₂ ¹²	X ₃ ³	!{'C'}:s¹	y ₁ 16	y ₂ ²	y ₃ ⁴
true	[1:1]= 'M'		[1:1]= !{'M'}	true	[22: 22] ='C'	[22:22] ='C'	true

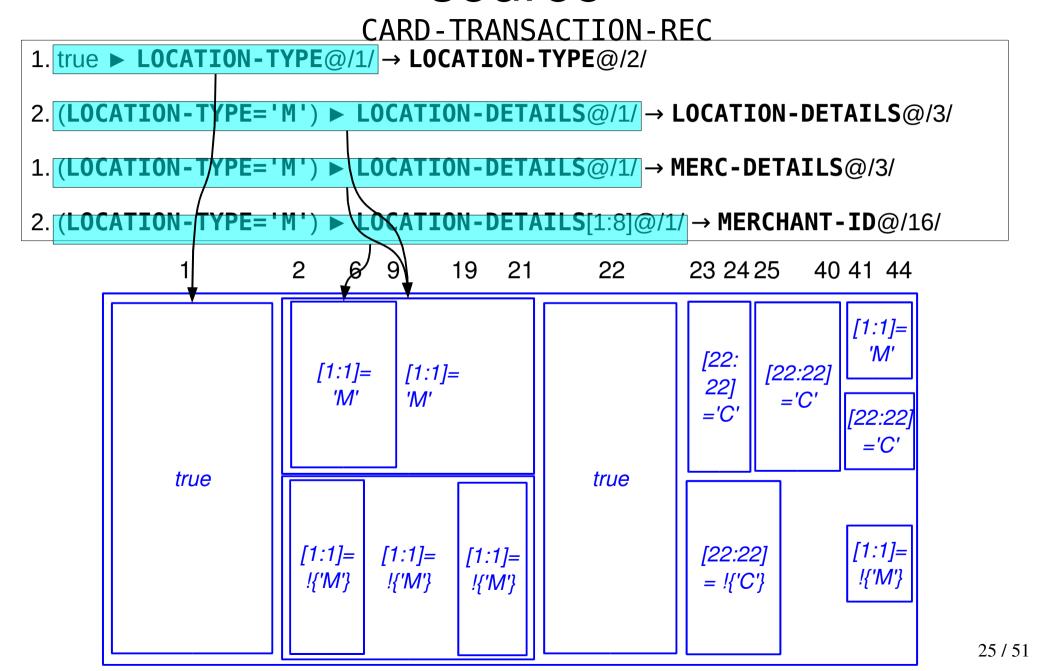
Algorithm 2 [ICSE '06, WCRE '07]

- 1.Compute guarded dependences
- 2.Compute *cuts* at each data-source statement (i.e., READ statement).
- 3. Organize the cuts as a cut-structure tree
 - It is possible, but not desirable, to translate cut-structure tree directly into a class hierarchy
- 4. Factor the cut-structure tree to capture better the grouping/structure of sibling cuts
- 5. Translate cut-structure tree into a class hierarchy

Step 1. Compute guarded dependences

```
LOCATION-TYPE='M' ▶
01 CARD-TRANSACTION-REC.
                               LOCATION-DETAILS[1:8]@/1/ →
                               MERCHANT-ID@/16/
05 LOCATION-TYPE PIC X.
... 23 more bytes ...
01 MERC-DETAILS.
05 MERCHANT-ID PIC X(8).
                                    CARD-TRANSACTION-REC
                                  LOCATION-DETAILS
/1/ READ CARD-TRANSACTION-REC
                                       Conditional on LOCATION-TYPE='M
/2/ IF LOCATION-TYPE = 'M'
    MOVE LOCATION-DETAILS
/3/
                                                  MERC-DETAILS
       TO MERC-DETAILS
    ELSE ...
/4/
/15/ IF LOCATION-TYPE = 'M'
/16/ WRITE MERCHANT-ID,
       AMOUNT, CARD-NUM TO M-FILE
                                               MERCHANT-ID
/17/ ELSE
```

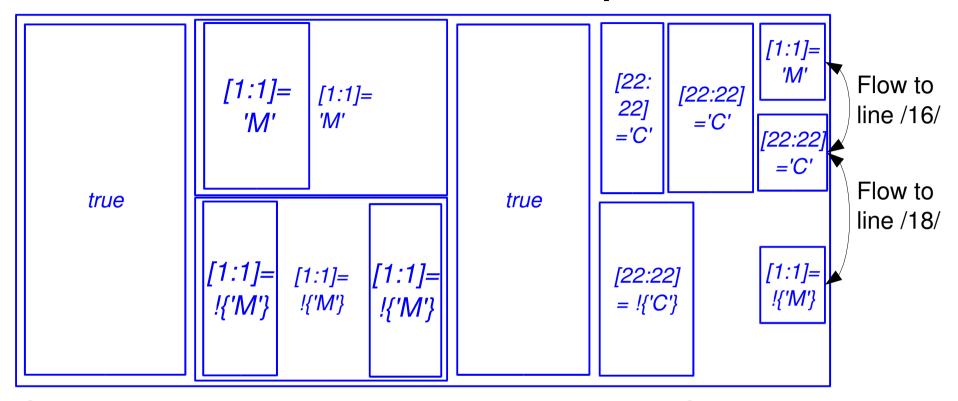
Step 2: Compute cuts at each data source



Step 3: Organize cuts as tree

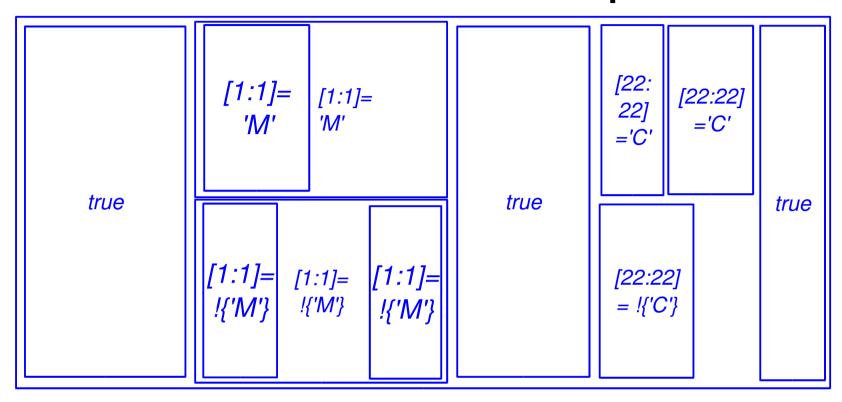
- There is intuitively a containment relation among cuts. Formalization:
 - c_i 's range "wider" than c_j 's range and c_i 's predicate "broader" than c_i 's predicate $\Rightarrow c_i$ contains c_i
- We broaden predicates of certain cuts such that
 - 1) Containment imposes a tree structure (not a DAG)
 - Allows generation of a single-inheritance class hierarchy
 - 2) Between any two siblings c_j and c_k there is no overlap; i.e.:
 - Either their ranges are non-overlapping, or their predicates are non-overlapping

Ilustration of Step 3



- 1) Cuts already form a tree structure. Good.
- 2) However, we have overlap problem!
 - Intuitively, two overlapping cuts ⇒ both flow into some variable reference;
 - We would like a unique cut to flow into each variable ref.

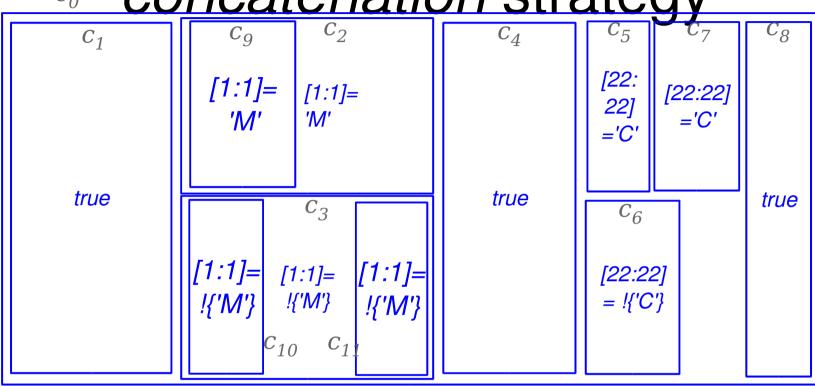
Illustration of Step 3



Merge the three cuts.
That is, take logical disjunction of their predicates.

Generating a class hierarchy:

concatenation strategy

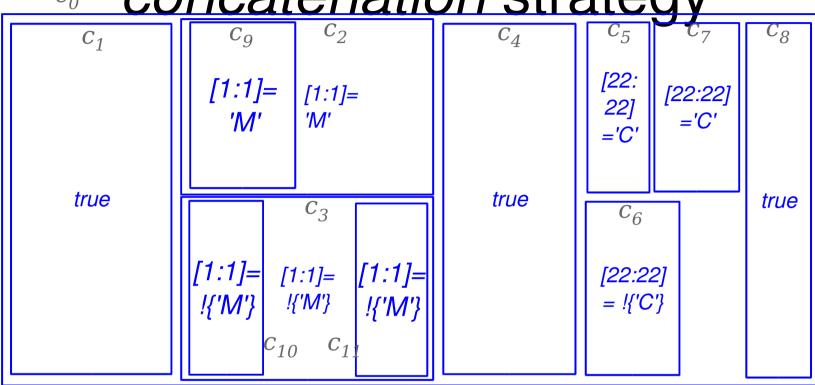


Approach: Turn each cut into a class, and each edge into a *field-of* relation.

• Class c_0 {f1: c_1 , f2: c_2 , f3: c_3 , ..., f8: c_8 }, Class c_1 {},..., Class c_8 {}

Generating a class hierarchy:

concatenation strategy

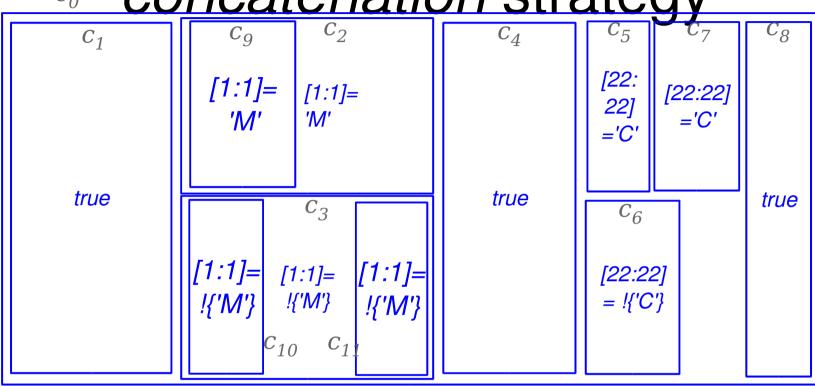


Approach: Turn each cut into a class, and each edge into a *field-of* relation.

- Class $c_0 \{f1: c_1, f2: c_2, f3: c_3, ..., f8: c_8\}$, Class $c_1 \{\}, ..., Class c_8 \{\}$
- However, predicates are lost in translation, hence loss of precision: fields f2 and f3 ought not to co-exist!

Generating a class hierarchy:

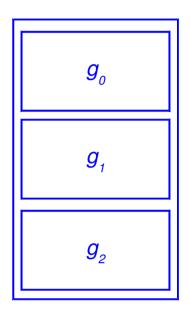
concatenation strategy



Approach: Turn each cut into a class, and each edge into a *field-of* relation.

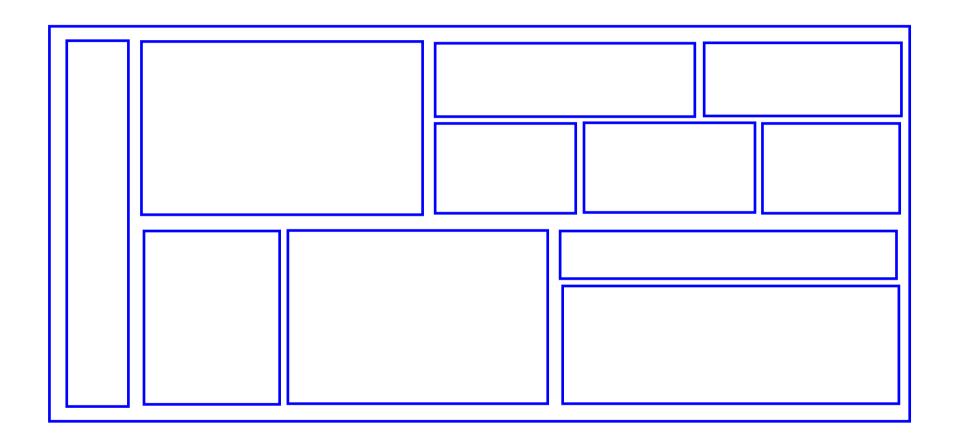
- Class $c_0 \{f1: c_1, f2: c_2, f3: c_3, ..., f8: c_8\}$, Class $c_1 \{\}, ..., Class c_8 \{\}$
- However, predicates are lost in translation, hence loss of precision: fields f2 and f3 ought not to co-exist!
- No loss of precision when when all children have the same guard

Vertical partitioning



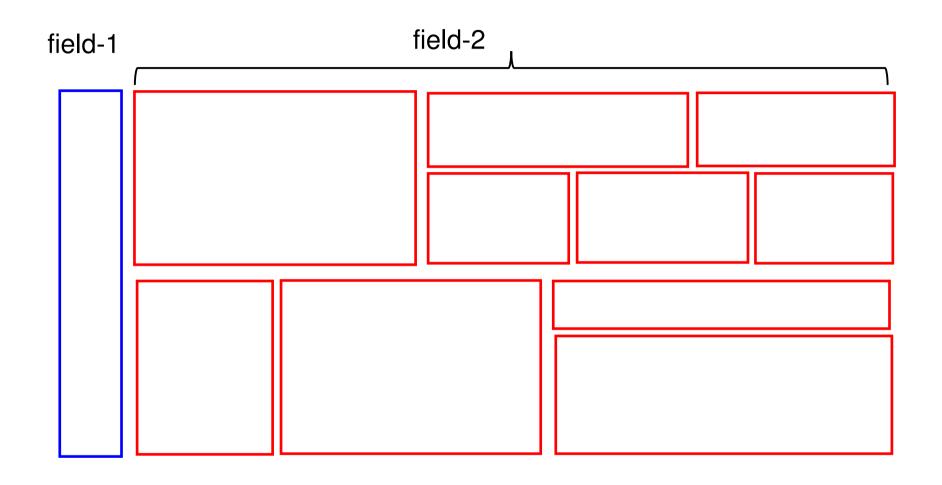
- Applicable only when all children have mutually disjoint predicates
 - parent corresponds to a base class
 - children correspond to derived classes

Step 4: Factoring cut-structure tree



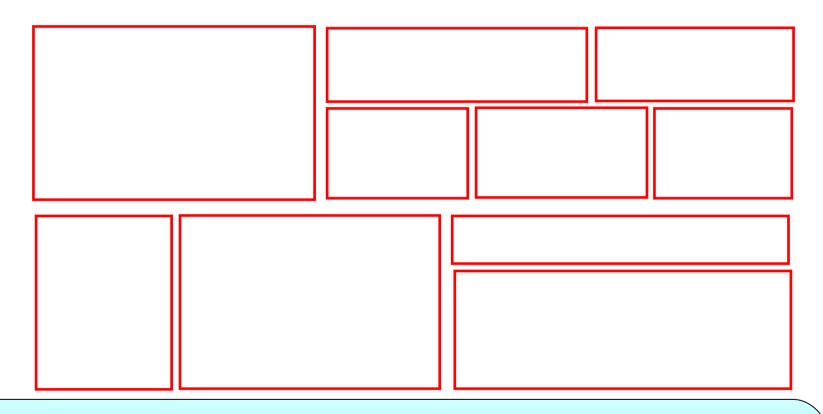
Generalized Horizontal Partitioning

- Add edges between boxes with disjoint guards
- each connected component == a field



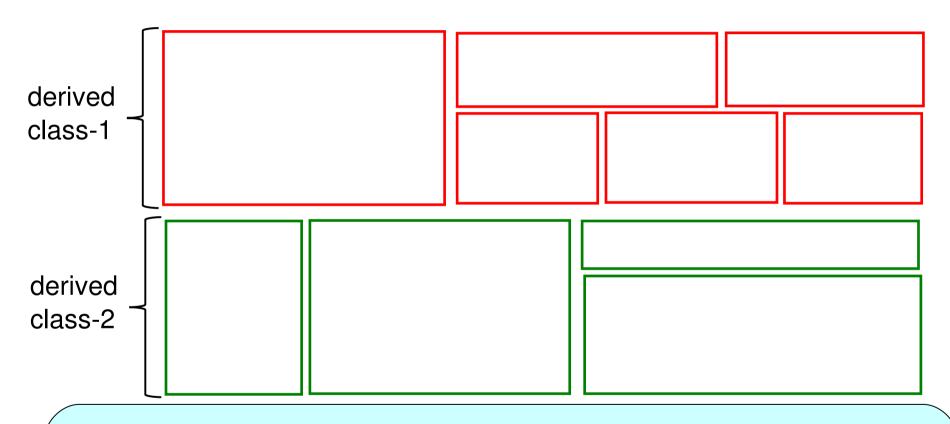
Generalized Horizontal Partitioning

- •Add edges between boxes with disjoint guards
- each connected component == a field



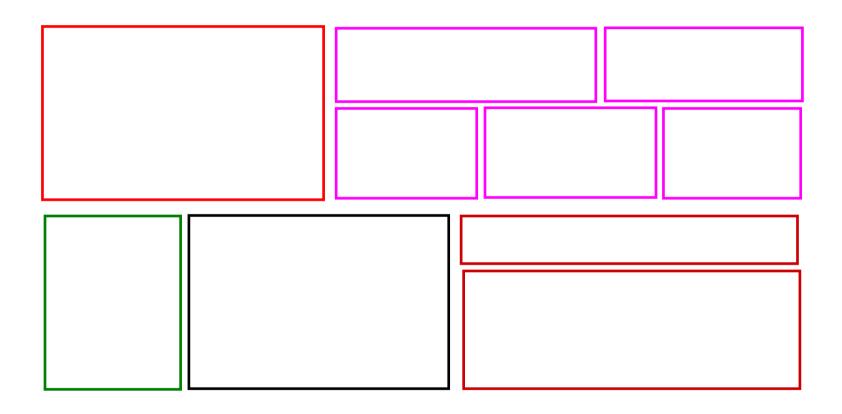
Generalized Vertical Partitioning

- •Add edges between boxes with overlapping guards
- each connected component == a derived class



Generalized Vertical Partitioning

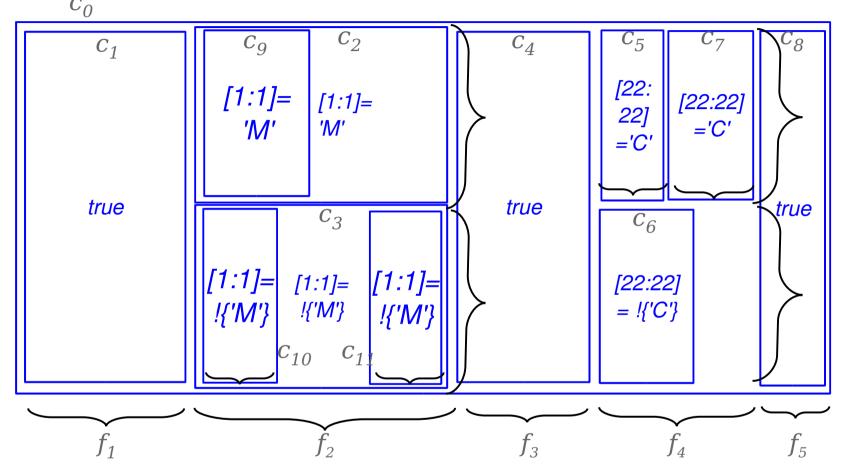
- •Add edges between boxes with overlapping guards
- each connected component == a derived class

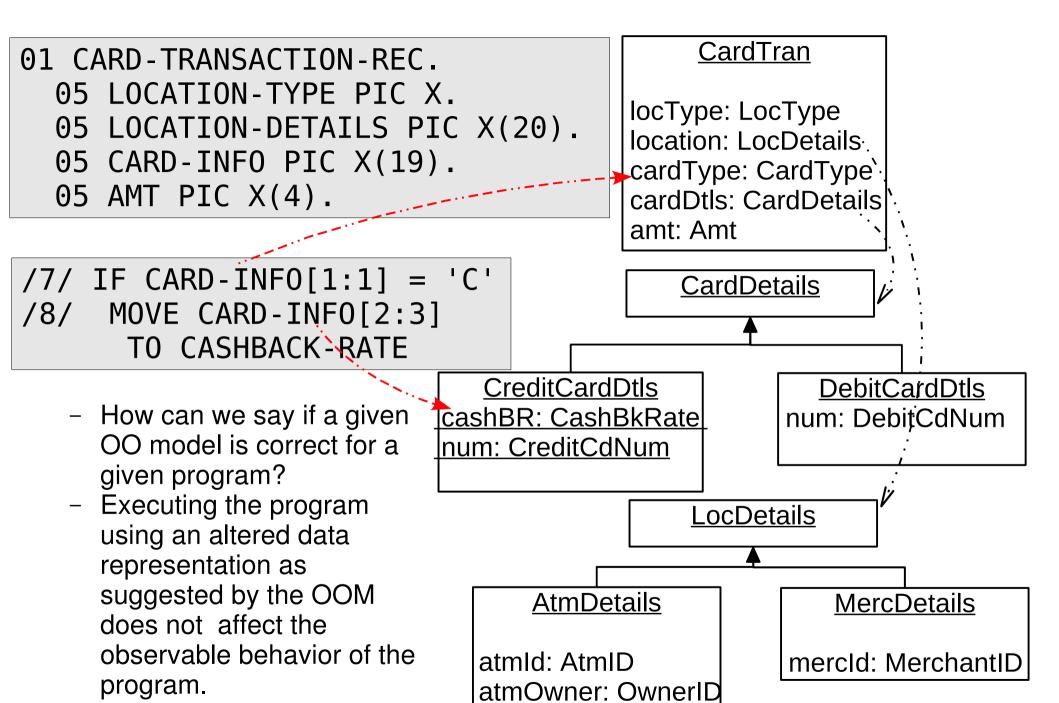


Generalized Horizontal Partitioning

- •Add edges between boxes with disjoint guards
- each connected component == a field

Step 4 on the running example ...





• See [ICSE '06] for

details

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Details of Step 1: Computing guarded dependences

- guard ►source →target
 - source is a pair memory range @ program-pt
 - target is similar (however, we restrict ourself to variable dereference sites)
 - guard is a predicate on the state at source program-point.
- when guard is true, value at source may reach target (via some sequence of copies)

Guarded dependence analysis

- Guarded dependences
 - capture transitive data-dependences
 - capture conditions under which dependence is manifested
- Parametric guarded dependence computation
 - parameterized by abstraction for guards
 - can be computed in polynomial time for simple (common type of) guards

Transfer functions (without guards)

Statement S	$\alpha_{pi}[S]: 2^{\mathcal{D}_{pi}} \to 2^{\mathcal{D}_{pi}}$
WRITE Y^d	λ Out. Out $\cup \{ Y \leadsto d \}$
READ Y^d	$\lambda \text{Out.} \{ Y \leadsto d \} \cup$
	$ \mid \{ r \leadsto t \mid r \leadsto t \in \text{Out and } r \not\subseteq Y \} $
MOVE X^{dX} TO Y^{dY}	$\lambda \text{Out.} \{ X \leadsto dX, Y \leadsto dY \} \cup$
where $Y = [y_1 : y_2]$	$ \mid \{ r \leadsto t \mid r \leadsto t \in \text{Out} \land r \not\subseteq Y \} \cup \mid$
and $X = [x_1 : x_2]$	$ \mid \{ r' \leadsto t \mid r \leadsto t \in \text{Out}, r \subset Y, \mid$
	and $r' = r - y_1 + x_1$ }
ASSUME pred	λ Out. Out $\cup \{r \leadsto d \mid \text{pred contains} \}$
	a data-reference d to a range r }

<u>Backward</u> dataflow analysis. <u>Dataflow fact</u> is: *set of* memory-range X variable-reference-site. <u>Meet operation</u>: set union.

Transfer functions (with guards)

$$\alpha_{eps}[t](\text{Out}) = \{true \rhd r' \leadsto d' \mid r' \leadsto d' \in \alpha_{pi}[t] \{\}\} \bigcup \{\alpha_g[t](g) \rhd r' \leadsto d' \mid g \rhd r \leadsto d \in \text{Out}, \\ r' \leadsto d' \in \alpha_{pi}[t] \{r \leadsto d\}\}$$

 $\alpha_g[t](g)$ = weakest pre-condition semantics; i.e., broadest condition *before* statement t that implies g after statement t.

Ensuring polynomial-time analysis

- Atomic predicates
 - variable = constant | variable ∉ set-of-constants
 - $-x = 1, y \neq 2, z \notin \{1,2\}$
- Each guard is
 - a conjunction of atomic predicates
 - (at most one per variable)
- Use <u>Map(memory-range X variable-reference-site, guard)</u> as dataflow fact domain, instead of <u>memory-range X variable-reference-site X guard</u>.

Algorithm 2 : Contributions

- An efficient approach to infer OO data models from weakly-typed programs
- Inferred models are provably compact and correct
- Prototype implementation, and manual examination of results
- Therefore, is a sound basis for program understanding, migration, and transformation

Related work

- Canfora et al. [SEKE 96]
- O'Callahan and Jackson [ICSE 97]
- van Deursen and Moonen [WCRE 98, ...]
- Eidorff et al. [POPL 99]
- Ramalingam, Field, and Tip [POPL 99]
- Balakrishnan and Reps [CC 04]
- Distinguishing attributes of our work:
 - path-sensitive analysis
 - semantic correctness criterion of inferred OO model